


# Data Structures & Algo

**FREE**

## मजबूद इरादा | JRF का वादा

**LIVE**

 YouTube

 **3:30** pm

JULY  
**18**

**MOCK-4**

*like!!*



**RASHMI PRABHA**

Qualified UGCNET, GATE Educator

**10+** Years of Experience

# CombineCS Schedule

# ARE YOU PREPARED?

LIVE MOCK TEST	LIVE DATE	TIMING
UGCNET Artificial Intelligence	Sun, 11 <sup>th</sup> JULY	@ 3:30 pm
UGCNET Data Structure & Algorithm	Sun, 18 <sup>th</sup> JULY	@ 3:30 pm
UGCNET DBMS	Sun, 25 <sup>th</sup> July	@ 3:30 pm

AI  
= DSA  
~

UPCOMING LIVE SESSIONS	LIVE DATE	TIMING
PAPER – 1 (Computer Science)	DAILY	@ 9am

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**Last chance to enroll by 25<sup>th</sup> July**



**NEW BATCH STARTING  
FROM  
August 1st, 2021**

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Aug 1

Batch-1  
Prachi

2 months

Ready?

Searching

MCA



Y

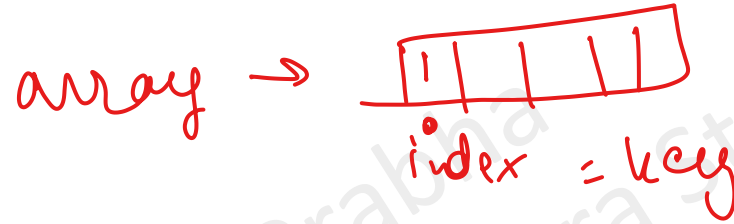
Q1) What is the best case for linear search?

- a)  $O(n \log n)$
- b)  $O(\log n)$
- c)  $O(n)$
- d)  $O(1)$

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CombineCS The Extra Step

Q1) What is the best case for linear search?

- a)  $O(n \log n)$
- b)  $O(\log n)$
- c)  $O(n)$
- d)  $O(1)$  ✓



**Answer: d** ✓

Explanation: Best case, means the element is at the head of the array, hence  $O(1)$ .

Pass

Q2) What is the worst case for linear search?

- a)  $O(n \log n)$
- b)  $O(\log n)$
- c)  $O(n)$
- d)  $O(1)$

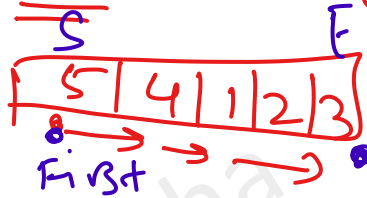
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Q2) What is the worst case for linear search?

- a)  $O(n \log n)$
- b)  $O(\log n)$
- c)  $O(n)$
- d)  $O(1)$

5 times

array



key = 10, element not found

Best

→  $O(1)$

Worst

→ last

| not

| Average

**Answer: c**

Explanation: Worst case means, when the desired element is at the tail of the array or not present at all, in this case you have to traverse till the end of the array, hence the complexity is  $O(n)$ .

unordered

array → loop - 5 times

Q3) What is the best case and worst-case complexity of ordered linear search?

- a)  $O(n \log n)$ ,  $O(\log n)$
- b)  $O(\log n)$ ,  $O(n \log n)$
- c)  $O(n)$ ,  $O(1)$
- d)  $O(1)$ ,  $O(n)$

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Q3) What is the best case and worst-case complexity of ordered linear search?

- ~~a)  $O(n \log n)$ ,  $O(\log n)$~~
- ~~b)  $O(\log n)$ ,  $O(n \log n)$~~
- ~~c)  $O(n)$ ,  $O(1)$~~
- d)  $O(1)$ ,  $O(n)$

time

ascending  $\rightarrow$  1, 2, 3, 4, 5

descending  $\rightarrow$  5, 4, 3, 2, 1

**Answer: d**

Explanation: Although ordered linear search is better than unordered when the element is not present in the array, the best and worst cases still remain the same, with the key element being found at first position or at last position.

Q4) Which of the following is a disadvantage of linear search?  
concept

- a) Requires more space
- b) Greater time complexities compared to other searching algorithms
- c) Not easy to understand
- d) Not easy to implement

marks  
Searching  
like!  
Share!

Q4) Which of the following is a disadvantage of linear search?

- a) Requires more space *[size]*
- b) Greater time complexities compared to other searching algorithms *eliminate*
- c) Not easy to understand *easy*
- d) Not easy to implement *easy*

*size = [100]*  
*n = 100*

**Answer: b**

Explanation: The complexity of linear search as the name suggests is  $O(n)$  which is much greater than other searching techniques like binary search ( $O(\log n)$ ). Linear search is easy to implement and understand than other searching techniques. *✓✓*

DSA

August

Q5) What is the recurrence relation for the linear search recursive algorithm?

- a)  $T(n-2) + c$
- b)  $2T(n-1) + c$
- c)  $T(n-1) + c$
- d)  $T(n+1) + c$

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Q5) What is the recurrence relation for the linear search recursive algorithm?

Imp: Crack

a)  $T(n-2) + c$

b)  $2T(n-1) + c$

c)  $T(n-1) + c$  ✓

d)  $T(n+1) + c$

**Answer: c**

Explanation: After each call in the recursive algorithm, the size of  $n$  is reduced by 1. Therefore, the optimal solution is  $T(n-1) + c$ . ✓

Q6) What is the worst-case complexity of binary search using recursion?

- a)  $O(n \log n)$
- b)  $O(\log n)$
- c)  $O(n)$
- d)  $O(n^2)$

linear search

15

share  
like

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Q6) What is the worst-case complexity of binary search using recursion?

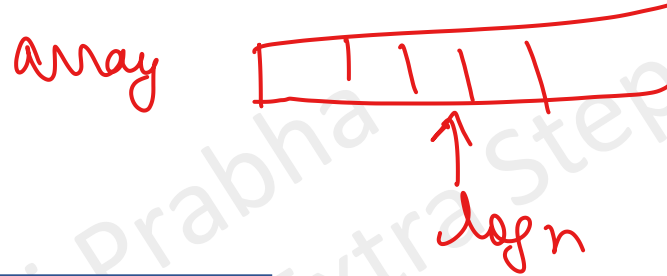
a)  $O(n \log n)$  ✗

b)  $O(\log n)$  ✓

c)  $O(n)$

d)  $O(n^2)$

**Same in Average Case**



**Answer: b**

Explanation: Using the divide and conquer master theorem.

Q7) What is the recurrence relation for the binary search recursive algorithm? (ISRO-2017)

- a)  $2T(n/2) + c$
- b)  $T(n/2) + c$
- c)  $T(n/2) + \log n$
- d)  $T(n/2) + n$

$O(n \log n)$  = Merge = heap = Quick ( $O(n^2)$ )  
Sorting

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Q7) What is the recurrence relation for the binary search recursive algorithm? (ISRO-2017)

$$\frac{n}{2} + \underline{\quad}$$

a)  $2T(n/2) + c$

b)  $T(n/2) + \textcircled{c}$  ✓

c)  $T(n/2) + \underline{\underline{\log n}}$

d)  $T(n/2) + n$

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3:30



3:30 pm  
Sunday

telegram

Q8) Binary Search can be categorized into which of the following?

- a) Brute Force technique ✓
- b) Divide and conquer ✓
- c) Greedy algorithm ✓
- d) Dynamic programming

half

DAC

Assignment  
Properties

Q1 → MCQ

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Q8) Binary Search can be categorized into which of the following?

- a) Brute Force technique
- b) Divide and conquer
- c) Greedy algorithm
- d) Dynamic programming

**Answer: b**

Explanation: Since 'mid' is calculated for every iteration or recursion, we are dividing the array into half and then try to solve the problem.

*difficult*

*basic*

*linear/binary*

# Gate PYQ

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Q9) Which of the following is correct recurrence for worst case of Binary Search? *Correct*

*don't*

1.  $T(n) = 2T(n/2) + O(1)$  and  $T(1) = T(0) = O(1)$
2.  $T(n) = T(n-1) + O(1)$  and  $T(1) = T(0) = O(1)$
3.  $T(n) = T(n/2) + O(1)$  and  $T(1) = T(0) = O(1)$
4.  $T(n) = T(n-2) + O(1)$  and  $T(1) = T(0) = O(1)$

Q9) Which of the following is correct recurrence for worst case of Binary Search?

*merge sort*

*Best*  
 $O(1)$

*Worst*  
 $O(\log n)$

*Average*  
 $O(\log n)$

$T(n/2) + O(1)$

1.  $T(n) = 2T(n/2) + O(1)$  and  $T(1) = T(0) = O(1)$
2.  $T(n) = T(n-1) + O(1)$  and  $T(1) = T(0) = O(1)$
- ~~3.~~  $T(n) = T(n/2) + O(1)$  and  $T(1) = T(0) = O(1)$
4.  $T(n) = T(n-2) + O(1)$  and  $T(1) = T(0) = O(1)$

Q10) The average number of key comparisons done in a successful sequential search in a list of length it is  
.....(**GATE CS 1996 / ISRO CS 2016**)

1.  $\log n$
2.  $(n-1)/2$
3.  $n/2$
4.  $(n+1)/2$

- 1) take your time
- 2) Read topic

Q10) The average number of key comparisons done in a successful sequential search in a list of length n is key ..... **(GATE CS 1996 / ISRO CS 2016)** *twisted* *linear search (n)* *Best  $\rightarrow O(1)$*

1.  $\log n$

2.  $(n-1)/2$

3.  $n/2$

4.  $(n+1)/2$

If element is at 1 position then it requires 1 comparison. If element is at 2 position then it requires 2 comparison. If element is at 3 position then it requires 3 comparison. Similarly, If element is at n position then it requires n comparison.

Total comparison =  $n(n+1)/2 \Rightarrow$

For average comparison =  $(n(n+1)/2) / n$   
=  $(n+1)/2$



Q11) The average case occurs in the Linear Search Algorithm when:     ?

next

1. The item to be searched is in some where middle of the Array
2. The item to be searched is not in the array
3. The item to be searched is in the last of the array
4. The item to be searched is either in the last or not in the array

Q11) The average case occurs in the Linear Search Algorithm when:

Best case  $\rightarrow$  element first index

1. The item to be searched is in some where middle of the Array
2. The item to be searched is not in the array – worst case
3. The item to be searched is in the last of the array – worst case
4. The item to be searched is either in the last or not in the array

worst case

Q12) Number of comparisons required for an unsuccessful search of an element in a sequential search, organized, fixed length, symbol table of length  $L$  is (ISRO CS 2011)

like !!

hint: tree

Scheduling

1.  $L$
2.  $L/2$
3.  $(L+1)/2$
4.  $2L$

Q12) Number of comparisons required for an unsuccessful search of an element in a sequential search, organized, fixed length, symbol table of length  $L$  is (ISRO CS 2011)

1.  $L$  ✓
2.  $L/2$
3.  $(L+1)/2$
4.  $2L$

twist

Worst Case

$O(n)$   
 $n$

complexity

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Q13) The time taken by binary search algorithm to search a key in a sorted array of n elements is ..(ISRO 2007)

$\rightarrow \text{halfo}(\log n)$

1.  $O(\log_2 n)$
2.  $O(n)$
3.  $O(n \log_2 n)$
4.  $O(n^2)$

sorted array

1 2 3 4 5

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Q13) The time taken by binary search algorithm to search a key in a sorted array of n elements is ..(ISRO 2007)

worst

- 1.  ~~$O(\log_2 n)$~~
- 2.  $O(n)$
- 3.  ~~$O(n \log_2 n)$~~
- 4.  ~~$O(n^2)$~~

Q1

Best, Worst, Average

$O(1)$

Assume Worst

Linear?  
No

Q2  
Binary search, element should be sorted? Yes | NO

offline

Comment

suggestion

Live Test

Monday

DS

difficult



Q14) <sup>✖\*</sup> Suppose there are 11 items in sorted order in an array. How many searches are required on the average, if binary search is employed and all searches are successful in finding the item? (ISRO CS 2014)

1. 3.00
2. 3.46
3. 2.81
4. 3.33

nus/nus - searching  
- mate isko  
- jscnet

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searching  $\rightarrow$  start  $\rightarrow$  end

Binary

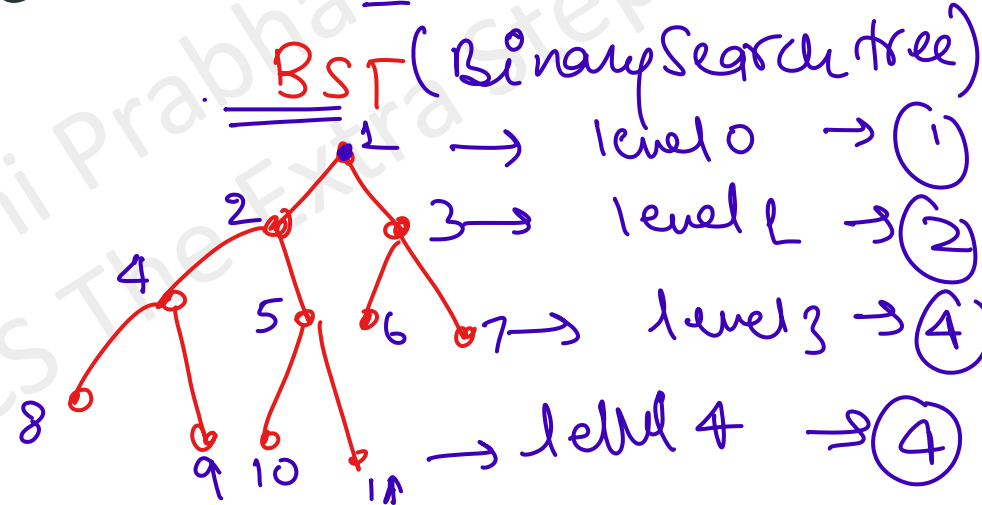
Q14) Suppose there are 11 items in sorted order in an array, How many searches are required on the average, if binary search is employed and all searches are successful in finding the item? (ISRO CS 2014)

MCQ

- 1. 3.00
- 2. 3.46
- 3. 2.81
- 4. 3.33

$O(\log n)$  Average Implementation

left  
hill



Total number of comparisons required =  $1 \times 1 + 2 \times 2 + 4 \times 3 + 4 \times 4 = 33$   
Average comparisons required for 11 items =  $33/11 = 3$

$$\left. \begin{array}{l} 1 \times 1 \\ 2 \times 2 \\ 3 \times 4 \\ 4 \times 4 \end{array} \right\} \frac{33}{11} = 3$$



Q15) Is there any difference in the speed of execution between linear search(recursive) vs linear search(iterative)?

- a) Both execute at same speed
- b) Linear search(recursive) is faster
- c) Linear search (Iterative) is faster
- d) Can't be said

Assignment ↴  
Q. what is the diff. b/w  
Recursive & Iterative

Topic FAQ  
delay p  
August

Q15) Is there any difference in the speed of execution between linear search(recursive) vs linear search(iterative)?

worst (space)

slow

main  
{

main()

Symbol Table

pld

while()

main();

for() }

worst

}

~~a) Both execute at same speed~~

~~b) Linear search(recursive) is faster~~

c) Linear search (Iterative) is faster

~~d) Can't be said~~

slow

**Answer: c**

Explanation: The Iterative algorithm is faster than the latter as recursive algorithm has overheads like calling function and registering stacks repeatedly.

# Last chance to enroll by 25<sup>th</sup> July



- ① Highlights
- ② Live session
- ③ 100% doubts Resolution
- ④ L-to-L
- ⑤ Notes provided
- ⑥ 4 hrs class live



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Recursion - LOC  
↳ method call overhead  
Space & Time (high)

Call on this no

# LMN

extra

1 2 3  
↑

2

array → last index

Algorithm	Best Time	Average	Worst	Space Complexity
Linear Search	O(1)	O(n)	O(n)	O(1)
Binary Search	O(1)	O(log n)	O(log n)	O(1)

same

array list first

(1)  
(2)

DAC approach  
Sorted order

CombineCS

Algorithm	Best Time Complexity	Average Time Complexity	Worst Time Complexity	Worst Space Complexity
Linear Search	$O(1)$	$O(n)$	$O(n)$	$O(1)$
Binary Search	$O(1)$	$O(\log n)$	$O(\log n)$	$O(1)$
Bubble Sort	$O(n)$	$O(n^2)$	$O(n^2)$	$O(1)$
Selection Sort	$O(n^2)$	$O(n^2)$	$O(n^2)$	$O(1)$
Insertion Sort	$O(n)$	$O(n^2)$	$O(n^2)$	$O(1)$
Merge Sort	$O(n \log n)$	$O(n \log n)$	$O(n \log n)$	$O(n)$
Quick Sort	$O(n \log n)$	$O(n \log n)$	$O(n^2)$	$O(\log n)$
Heap Sort	$O(n \log n)$	$O(n \log n)$	$O(n \log n)$	$O(n)$
Bucket Sort	$O(n+k)$	$O(n+k)$	$O(n^2)$	$O(n)$
Radix Sort	$O(nk)$	$O(nk)$	$O(nk)$	$O(n+k)$
Tim Sort	$O(n)$	$O(n \log n)$	$O(n \log n)$	$O(n)$
Shell Sort	$O(n)$	$O((n \log(n))^2)$	$O((n \log(n))^2)$	$O(1)$

Covered in 18 July 2021

Will be covering in next week

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# CombineCS Schedule

# ARE YOU PREPARED?

LIVE MOCK TEST	LIVE DATE	TIMING
UGCNET Artificial Intelligence	Sun, 11 <sup>th</sup> JULY	@ 3:30 pm
UGCNET Data Structure & Algorithm	Sun, 18 <sup>th</sup> JULY	@ 3:30 pm
UGCNET DBMS	Sun, 25 <sup>th</sup> July	@ 3:30 pm

↖  
searching

✓

telegram, whatsapp  
✓

concept

next week 8 Monday

UPCOMING LIVE SESSIONS	LIVE DATE	TIMING
PAPER – 1 (Computer Science)	DAILY	@ <del>3:30</del>

10:15  
min

2:30 pm (free)

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✓

do →

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✓ Telegram Group : <https://t.me/RashmiCCS> ✓

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=====

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